$\qquad$
$\qquad$ Per: $\qquad$

## SUBTRACTION

Compute each difference. Show your work by drawing positive (+) and negative ( - ) counters.

| Example A | Example B |
| :---: | :---: |
| $(-3)-(-2)=-1$ | $(4)-(-3)=7$ |
| Place 3 (-) counters and remove $2(-)$ counters. | Place $4(+)$ counters and then remove $3(-)$ counters. Since there are no (-) counters to remove, add zero pairs first. |
| 1. $(4)-(1)=$ | 2. $(-3)-(-3)=$ |
| 3. $(-2)-(-1)=$ | 4. $(-6)-(-2)=$ |
| 5. (1) $-(4)=$ | 6. $(2)-(6)=$ |
| 7. $(-2)-(-3)=$ | 8. $(-2)-(-4)=$ |
| 9. $(-3)-(2)=$ | 10. $(-5)-(3)=$ |
| 11. $(4)-(-1)=$ | 12. $(-4)-(-2)=$ |

What would you tell a classmate who said, "Subtraction makes numbers smaller"?

## COMPARING ADDITION AND SUBTRACTION

Compute each difference. Use positive ( + ) and negative $(-)$ counters if needed.


Compare parts (a) and (b) for each problem.
5. Subtracting 4 gives the same result as adding $\qquad$ .
6. Subtracting -1 gives the same result as adding $\qquad$ -
7. Write an addition expression that is equivalent to $10-5$. $\qquad$
8. Write an addition expression that is equivalent to $6-(-3)$. $\qquad$
Generalizing the rules for subtracting integers.
9. Subtracting a number gives the same result as adding $\qquad$ -

$$
a-b=a+(-b), \quad \text { or } \quad a-(-b)=a+b
$$

for all integers $a$ and $b$

